Intermediate Physics for Medicine and Biology - Chapter 1

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Web: http://ymk.k-space.org/courses.htm



Chapter 1

Basic concepts of mechanics

- Equilibrium with biomechanical applications
- o Work
- Stress, Strain, and shear
- Hydrostatics
- Compressibility
- Viscosity and Viscous Flow
- Pressure-Volume Work
- Human Circulatory System as an application

Distances and Sizes

- Valuable skill in physics: ability to make order-of-magnitude estimates
- Example: calculate number of cells in body
 - \circ Cells ~ 10 μm in size → volume ~ (10 μm)³
 - Adult ~ 2 m tall and 0.3 m wide

 \rightarrow volume ~ 2 × 0.3 × 0.3 = 0.18 m³

- Assume body is made entirely of cells
- Number of cells = $0.18/1e-15 \sim 2 \times 10^{14}$

Forces and Translational Equilibrium

- Force defined by Newton's second law F = ma
- Translational equilibrium:
- Equilibrium:
 - remains at rest
 - move at constant speed





Rotational Equilibrium



$$\tau_i = r_i F_i$$

Rotational equilibrium if,

$$\sum_{i} \tau_{i} = 0$$

Example: Achilles Tendon

 Apply both translational and rotational equilibrium conditions



Example: Forces on the Hip





Example: Use of a Cane





Work

Work done by a force F_x as it moves from x₁ to x₂

$$W = \int_{x1}^{x2} F_x(x) dx$$

- Area under curve
- Equal to increase in K.E.



Stress and Strain

Normal stress: tensile/compressive



• *E*: Young's modulus



Shear

Force parallel to surface

$$s_s = \frac{F}{S} = G\varepsilon_s = G\frac{\delta}{h}$$

• *G*: shear modulus



FIGURE 1.23. Shear stress and strain.

Hydrostatics

Equilibrium:



Buoyancy

• Object immersed in fluid $F = (\rho_{fluid} - \rho) \cdot g \cdot V$

Example: Terrestrial animals
 Very small *buoyancy* because



- Example: Aquatic animals
 - Very small *F* because

$$|
ho_{fluid} pprox
ho|$$

"Weightless" in water

Compressibility

Pressure on a fluid

$$\frac{\Delta V}{V} = -\kappa \cdot \Delta p$$

- Compressibility κ negligible in many cases (e.g., $\kappa = 5 \times 10^{-10}$ Pa⁻¹ for water)
- Important for such phenomena as ultrasound transmission

Viscosity

Laminar flow of a Newtonian fluid

F

x

 $V_x = 0$

 $2\pi r \Delta x \eta dv / dr$

 $\overline{\rho(x)\pi r^2} \rho(x+\Delta x)\pi r^2$

R,





Pressure-Volume Work



Example: Respiration Work



Circulatory System





Veins, venules, and venous sinuses-64%

Turbulent Flow and Reynolds Number

 Turbulent flow when Reynolds number is more than a few thousands

$$N_R = \frac{LV\rho}{\eta}$$

Circulatory System Values

TABLE 1.4. Typical values for the average pressure at the entrance to each generation of the major branches of the cardiovascular tree, the average blood volume in certain branches, and typical dimensions of the vessels.

Location	Average pressure (torr)	Blood volume ^a (ml)	Diameter ^b (mm)	Length ^b (mm)	Wall thickness ^b (mm)	Avg. velocity ^b (m s ⁻¹)	Reynolds number a maximum flow ^c
			Systemi	e circulatio	1		
Left atrium	5						
Left ventricle	100						
Aorta	100	156	20	500	2.00	4.80×10^{-1}	9 400
Arteries	95	608	4	500	1.00	4.50×10^{-1}	1 300
Arterioles	86	94	0.05	10	0.2	5.00×10^{-2}	
Capillaries	30	260	0.008	1	0.001	1.00×10^{-3}	
Venules	10	470	0.02	2	0.002	2.00×10^{-3}	
Veins	4	2682	5	25	0.5	1.00×10^{-2}	
Vena cava	3	125	30	500	1.5	3.80×10^{-1}	3 000
Right atrium	3						
			Pulmona	ry Circulatio	on		
Right atrium	3						
Right ventricle	25						
Pulmonary artery	25	52					~
Arteries	20	91					7 800
Arterioles	15	6					
Capillaries	10	104					
Veins	5	215					2 200
Left atrium	5						

Problem Assignment

Posted on class web site

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